Gamma-Ray Burst Triangulation with a Near-Earth Network (NEN)*

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- All-sky monitoring and localization of gamma-ray transients is an important component of multi-messenger astrophysics
- Detections of gravitational waves, neutrinos, very high energy gamma-rays, and optical transients, occur at a combined rate of at least several per month
- Inevitably the question of an associated gamma-ray burst arises
- GW-only localization areas are predicted to be up to 180 deg², with latencies of hours to days
- In other cases, precise localizations will become available almost in real time (e.g. ZTF20acozryr/AT2020yxz/GRB201103B)
- In all cases, however, it will be essential to have full-time all-sky coverage with localization, in the ~15 - 150 keV energy range



- A single spacecraft in low Earth orbit can't provide the required coverage, due to duty cycle, Earth-blocking, and/or FoV considerations
- The current Interplanetary Network provides the coverage, and it is operating nominally, but its spacecraft are old, and new interplanetary opportunities do not arise frequently
- Here we explore the capabilities of a network of simple near-Earth detectors, using a novel method of data analysis
- The spacecraft could be 6U CubeSats or larger the exact type of spacecraft isn't too important



Three Simple Principles of Triangulation

- 1. When two spacecraft observe a GRB, triangulation produces an annulus of location; annulus width \propto 1/spacecraft separation
- 2. When 3 spacecraft observe a GRB, two alternate positions can be obtained
- 3. A fourth, non-co-planar spacecraft observation can eliminate the ambiguity and produce a single error box



...and two more things to consider:

- The quality of a localization (i.e. size and shape of the error box) is determined by the *coverage* and the *total area*
- Coverage: the number of spacecraft which observed the burst
- Total area: the total effective area of the detectors which observed the burst



Simple Example of a 4-Spacecraft Network

- Co-planar, equally spaced spacecraft, orbital inclination ~23°
- Each spacecraft has a planar detector viewing 2π sr, unit area
- Cosine law response
- Zenith-pointing
- Shielded on the Earthfacing side to eliminate albedo photons







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<u>Effective area</u> Goes to zero at the orbital poles, which are observed edge-on



- The 4-spacecraft network gives, at best, localization annuli, not error boxes (no point on the sky is observed by more than 2 spacecraft)
- The coverage is poor around the orbital poles (effective area \rightarrow 0)
- The network can be improved by adding more spacecraft, and placing them in orbits with different inclinations (placing them in the same orbit won't produce single error boxes)
- Consider a 9-spacecraft network, with 4 spacecraft in an orbit with inclination i=0°, and 5 spacecraft in an orbit with i=56°









<u>Effective Area</u> The effective area decreases towards the two orbital poles, but does not go to zero anywhere

A New Localization Method

- For 40 years, GRB triangulation has been done by cross-correlating time-binned light curves to obtain annuli, and calculating the intersection points of the annuli to obtain error boxes
- This is because detectors had trigger systems that produced high time-resolution light curves with binning, for a short time after trigger
- The detectors were usually very different from one spacecraft to the next, leading to large systematic uncertainties
- But if the NEN detectors are identical, and downlink continuous timeand energy-tagged photon data, a better method can be used



It's complicated, but briefly...

- 1. Divide the celestial sphere into ~1° cells
- 2. For each cell, calculate the crossing time of a hypothetical GRB at each detector in the NEN
- 3. Sum the counts at each detector over various time intervals
- 4. Compare the results with the background
- 5. Calculate a χ^2 for that sky cell
- 6. Derive the probability that a GRB originated from that cell at that time
- 7. If the probability is high, explore the region around the cell in detail to derive a localization contour
- 8. If it is low, go to step 2 and repeat the calculations after some time has elapsed



Simulations

- Number of detectors
- Detector areas
- Detector energy resolution
- Photon timing accuracy
- Burst intensity
- Random GRB arrival directions

One simulation of the sky in χ^2 space



White: areas with no net counts above background Red, yellow: high χ^2 , low probability Arrow: points to the simulated GRB location

The simulated GRB position, the position where the probability reaches a maximum, and the 3σ localization contour (dimensions ~5°)





After many simulations...

- For a network of 9 100 cm² detectors, a 10⁻⁶ erg cm⁻² burst produces error boxes roughly equivalent to the *Fermi* GBM
- Possible improvements to reduce size and area of error boxes, and increase sensitivity:
- 1. Increase the detector areas
- 2. Add more detectors in the same orbits to increase duty cycle (but spacing decreases)
- 3. Increase the orbital altitude to increase spacing between detectors and reduce error box dimensions (but background increases)
- 4. Increase the number of detectors, placing them in a third orbit with a higher inclination (but lower duty cycle)



Spacecraft Requirements for a NEN

- Stabilization (zenith-pointing, several degree accuracy)
- Continuous downlink of time- and energy-tagged photons (energy-tagging could possibly be eliminated if there is active gain control)
- 0.1 ms timing accuracy
- Careful control of systematics:
- -Good energy resolution (CZT resolution is adequate)
- -Eliminate Earth albedo, which distorts detector responses from cosine law
- All appear to be within current capabilities



- For more details, see ApJ (in press) or https://arxiv.org/abs/2010.04229
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